

## Design and implement a solar tracker control algorithm for a photovoltaic module

### Diseñar e implementar un algoritmo de control para el seguimiento solar de un módulo fotovoltaico

AVALOS-GALINDO, Carlos David†, ONTIVEROS-MIRELES, Joel Josué\*, GALÁN-HERNÁNDEZ, Néstor Daniel and RUBIO-ASTORGA, Guillermo Javier

*Tecnológico Nacional de México/Instituto Tecnológico de Culiacán*

ID 1<sup>st</sup> Author: *Carlos David, Avalos-Galindo* / ORC ID: 0000-0002-8660-5021, Researcher ID Thomson: H-6582-2018, Open ID: 114300923759279285131, CVU CONACYT ID: 903133

ID 1<sup>st</sup> Coauthor: *Joel Josué, Ontiveros-Mireles* / ORC ID: 0000-0002-3717-5141, Researcher ID Thomson: H-5429-2018, Open ID: 101358849298461976839, CVU CONACYT ID: 564321

ID 2<sup>nd</sup> Coauthor: *Néstor Daniel, Galán-Hernández* / ORC ID: 0000-0002-5270-4187, Researcher ID Thomson: H-5497-2018, Arxiv ID: 0000-0002-5270-4187, CVU CONACYT ID: 48401

ID 3<sup>rd</sup> Coauthor *Guillermo Javier, Rubio-Astorga* / ORC ID: 0000-0003-3440-9958, Researcher ID Thomson: H-4783-2018, Open ID: 116048027903907523090, CVU CONACYT ID: 94895

Received January 18, 2018; Accepted June 20, 2018

#### Abstract

This paper presents the design of two control algorithms, for a one-axis and a two-axis solar tracker. The solar position with a time correction through the Yallop's algorithm is estimated, in order to define the turn's freedom of the trackers. The mathematical model of the position's system and the mechanical structure of the solar trackers are obtained and two PID controllers are designed through the second tuning method of Ziegler-Nichols. The PID controllers designed are implemented in a microcontroller. This has a visualization stage, power stage, actuators and power and position sensors to close a control loop. The results that are obtained show that it is possible to maintain the output power of a photovoltaic module between a desired range when a solar tracker control algorithm is implemented.

#### Solar Position, Mathematical Model, Controller

#### Resumen

En este trabajo se presenta el diseño de dos algoritmos de control para seguidores de uno and dos ejes de libertad. Se estima la posición solar con una corrección de tiempo mediante el algoritmo de Yallop, con la finalidad de determinar la libertad de giro de los seguidores. Se obtiene el modelo matemático del sistema de posicionamiento and de la estructura mecánica de los seguidores solares and se diseñan dos controladores PID, mediante el segundo método de sintonía de Ziegler-Nichols. Los controladores PID diseñados se implementan en un microcontrolador con el desarrollo de las etapas de visualización de datos, acondicionamiento de señal, potencia, actuadores, sensores de potencia and posición solar para cierre del lazo de control. Los resultados que se obtienen muestran que es posible mantener la potencia de salida de un módulo fotovoltaico dentro de un rango de funcionamiento deseado al implementar un algoritmo de control para el seguimiento solar.

#### Posición Solar, Modelo Matemático, Controlador

**Citation:** AVALOS-GALINDO, Carlos David, ONTIVEROS-MIRELES, Joel Josué, GALÁN-HERNÁNDEZ, Néstor Daniel and RUBIO-ASTORGA, Guillermo Javier. Design and implement a solar tracker control algorithm for a photovoltaic module. ECORFAN Journal-Democratic Republic of Congo. 2018, 4-6: 29-36.

\* Correspondence to Author (email: joelontiveros@itculiacan.edu.mx)

† Researcher contributing first author.

## Introduction

Within the renewable energies, photovoltaic energy stands out. This is due to its independence from fossil fuels and low impact on the environment, it is positioned as an ecological alternative to counteract environmental problems that cause the generation of conventional energies (Faria and others, 2017). However, the efficiency of these systems is a matter of great concern among scientists, this is due to the losses by conversion of solar energy to electrical and environmental conditions, such as humidity, dust, shadows, temperature, angle and intensity of incident solar radiation (Sreewirote, 2017).

There are two types of photovoltaic, fixed and mobile systems. The fixed installations have an orientation and inclination depending on the place of installation. Within the mobiles, there are the solar trackers of an axis and of two axes. The first follow the movement of the sun from east to west and increase energy production by 20% compared to fixed installations. The second, in addition to following the solar position from east to west, also follow the solar height, so they increase energy production by 40% compared to fixed installations (Diaz & Carmona, 2015).

Current followers use algorithms that seek to position the horizontal energy capture surface to solar radiation. For example, in (Huynh & Dunnigan, 2016) and (Makhija, Khatwani, Khan, Goel & Roja, 2017), light sensors are used to determine the position of the surface, or in (Astanto, Prasetyandi, Purwadiana & Sambada, 2016), GPS technology is implemented to determine the position of the sun and to orient the catchment surface. However, these jobs do not have a feedback to control the power output of the system.

Unlike previous works, the design of a control algorithm for solar tracking is proposed; that positions the horizontal photovoltaic module to solar radiation, as long as the output power is below the nominal power of the module. The controller modifies the angle of incidence when the power is between  $\pm 5\%$  of its nominal value, this to keep the production of energy within this range as long as possible.

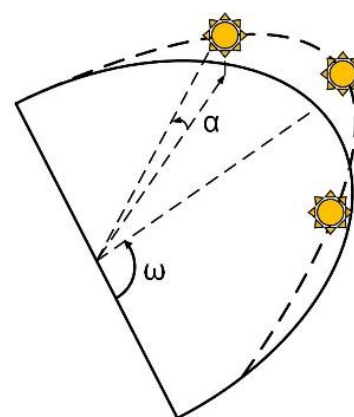
The purpose of implementing the control is to avoid damage due to overproduction of energy and prolong the useful life of the photovoltaic module.

To determine the solar position and modify the angle of inclination of the module, a light sensor is used; in addition to voltage and current sensors to calculate the output power of the system, in order to obtain feedback and close the PID control loop implemented in a microcontroller.

This work is developed in VIII sections. In section II, the solar position for a given point is estimated. The mathematical model of structures for solar tracking is presented in section III. Section IV describes the design of the PID control algorithm. The simulation graphs are shown in section V, in section VI the implementation is described, in section VII the results are presented, in section VIII the acknowledgments and in section IX the conclusions.

## Estimation of solar position

To estimate the position of the sun with respect to the earth, two angles of interest are estimated, the hour angle ( $\omega$ ) and the solar height ( $\alpha$ ), shown in Figure 1 (Khatib & Elmenraich, 2016). This is done in order to know the freedom of rotation that solar trackers should have.



**Figure 1** Solar height and hour angle

Source: (Khatib & Elmenraich, 2016)

It is considered that the standard time differs from the true solar time ( $T_{sv}$ ), for which a time correction is made by means of the Yallop algorithm. This is chosen for its high precision for the years from 1980 to 2050 (Muneer, Gueymard & Kambezidis, 2004).

$$T_{sv} = U_T + E_{TC} + \frac{1}{15}(L_{mel} + L_{Long}) \quad (1)$$

Where  $U_T$  is the time in hours (hrs),  $E_{TC}$  is the corrected time equation (hrs),  $L_{mel}$  is the local longitude meridian standard ( $^\circ$ ) and  $L_{Long}$  is the meridian length of the observer ( $^\circ$ ). The hour angle is defined as the angular displacement of the sun from east to west, taking a local point as a reference. The solar height as the angular height of the sun measured from the horizontal (Muneer, Gueymard & Kambezidis, 2004). These angles are estimated by the equations:

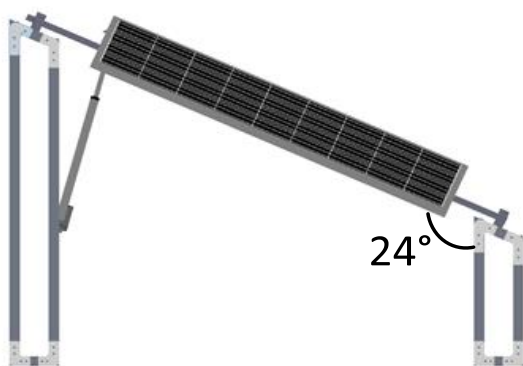
$$\omega = \frac{15T_{sv} - (12 \times 60)}{60} \quad (2)$$

$$\alpha = \text{asen}[\text{sen}(\varphi)\text{sen}(\delta_{dec} + \cos(\varphi) \cos(\omega))$$

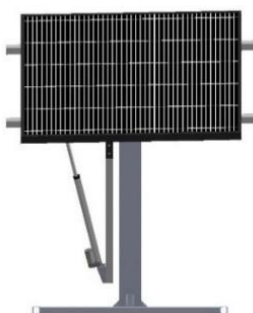
Where  $\varphi$  is the latitude of the installation point in ( $^\circ$ ), and  $\delta_{dec}$  is the declination considered at solar noon ( $^\circ$ ).

**Modelado de sistema de seguimiento**

The design of the two followers is done in SOLIDWORKS®. The device of an axis of freedom follows the hour angle ( $\omega$ ) with a fixed angle of inclination ( $\beta$ ) of  $24^\circ$  (Figure 2). The follower of two axes of freedom (Figure 3), acts both for the hour angle ( $\omega$ ) and for the angle of the solar height ( $\alpha$ ).

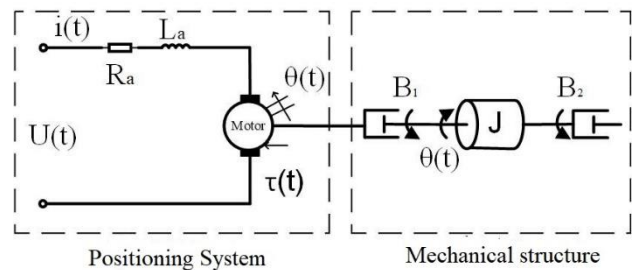


**Figure 2** Follower of an axis of freedom  
Source: Own Elaboration



**Figure 3** Seguidor solar de dos ejes de libertad  
Source: Own Elaboration

The solar tracking system is made up of two parts as shown in Figure 4 (Utkin, Guldner & Shi, 2009). A positioning system and a mechanical system that replaces the mechanical structures shown in Figure 2 and Figure 3, where  $B_1$  and  $B_2$  represent the bearings, and  $J$  the moment of inertia of the photovoltaic module.



**Figure 4** Solar tracking system (3)  
Source: Modified from (Utkin, Guldner & Shi, 2009) and (Ogata, 2010)

The mathematical model of the positioning system consists of a permanent magnet DC motor, which is governed by two equations, one electrical and one mechanical (Utkin, Guldner & Shi, 2009):

$$U(t) = R_a i(t) + L_a \frac{di(t)}{dt} + K_e \frac{d\theta(t)}{dt} \quad (4)$$

$$\tau(t) = J_1 \frac{d^2\theta(t)}{dt^2} + B \frac{d\theta(t)}{dt} \quad (5)$$

The second law of Newton states that the algebraic sum of moments or pairs around a fixed axis is equal to the product of inertia by angular acceleration, therefore, the mathematical equation of the mechanical structure is (Ogata, 2010):

$$\tau(t) = J \frac{d^2\theta(t)}{dt^2} + B_1 \frac{d\theta(t)}{dt} + B_2 \frac{d\theta(t)}{dt} \quad (6)$$

By joining the equations (4), (5) and (6) and eliminating the viscous friction coefficients  $B_1$  and  $B_2$ , we obtain the transfer function of the follower of an axis of freedom:

$$\frac{\theta(s)}{V(s)} = \frac{K_M}{s[(J_1 L_a + J L_a) s^2 + (J_1 R_a + \dots \dots J R_a + B L_a) s + K_M K_e]}$$

Where  $R_a$  is the armature resistance ( $\Omega$ ),  $L_a$  is the armature inductance (H),  $i(t)$  the armature current (A),  $\theta(t)$  the position ( $^\circ$ ),  $K_e$  the electromotive force constant,  $\tau(t)$  the torque,  $J$  the moment inertia of the photovoltaic module (Kg),  $J_1$  the inertia of the motor rotor (Kg) and  $B$  the viscosity coefficient (kg/s). The moment of inertia of the photovoltaic module is obtained by means of equation (8) (Jonhson, Mazurek & Eizanberg, 2010).

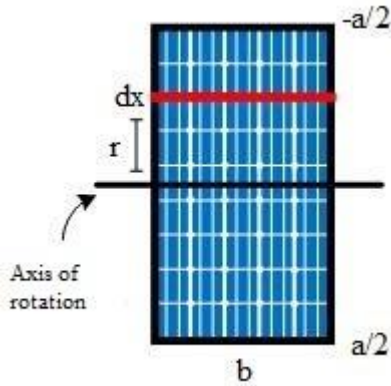


Figure 5 Moment of horizontal inertia. Source: Own Elaboration

$$J_3 = \frac{M_a}{b} \int_{-\frac{a}{2}}^{\frac{a}{2}} x^2 dx \tag{8}$$

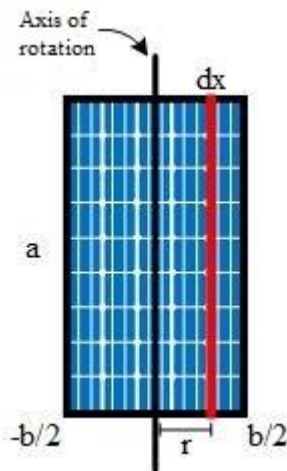


Figure 6 Moment of vertical inertia Source: Own Elaboration

$$J = \frac{M_a}{b} \int_{-\frac{b}{2}}^{\frac{b}{2}} x^2 dx \tag{9}$$

To obtain the mathematical model of the two-axis follower, each axis of freedom is considered as an independent system. In the system of the hour angle tracker, equations (7) and (8) are implemented. For the solar height tracker, equation (7) is considered, where the moment of inertia of the photovoltaic module is obtained with the equation (9).

I. Design of PID control algorithm

A PID controller is designed which is based on the scheme proposed by Ogata (2010), Figure 7. It has 3 tunable parameters, which are the proportional action  $K_P$ , the integration time  $T_i$ , and the derivation time  $T_d$ .

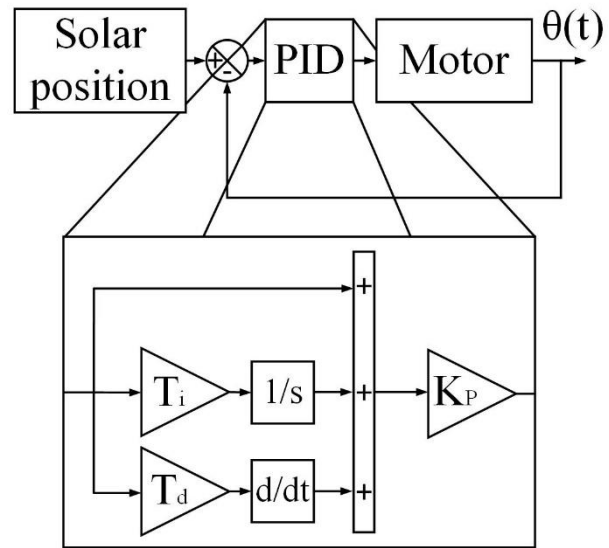


Figure 7 Block diagram of PID controller Source: (Ogata, 2010)

$$PID = K_P \left( 1 + \frac{1}{T_i s} + T_d s \right) \tag{10}$$

The 3 parameters of the PID equation are calculated by means of the second Ziegler Nichols tuning method and equation (7). In addition, a manual tuning is performed to increase its accuracy (Ogata, 2010). The results are shown in Table 1, Table 2, and Table 3.

	Ziegler Nichols	Tuned
$K_P$	104.848	10.4848
$T_i$	5.048	0.05048
$T_d$	1.262	0.001262

Table 1 Hourly angle controller gains for an axis tracker Source: Own Elaboration

	Ziegler Nichols	Tuned
$K_P$	235.3547	2.3535
$T_i$	14.1285	0.1413
$T_d$	3.5321	0.0035

Table 2 Solar height angle controller gains for two-axis tracker Source: Own Elaboration

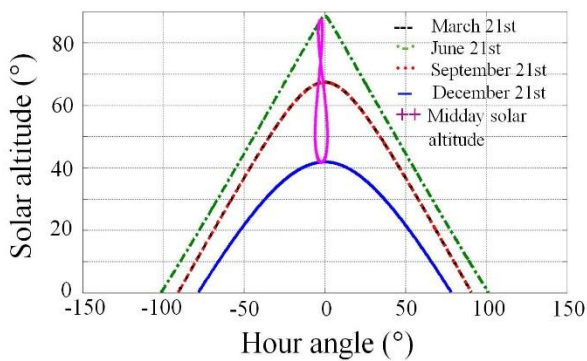
	Ziegler Nichols	Tuned
<b>K<sub>P</sub></b>	207.6485	2.0765
<b>T<sub>i</sub></b>	11.1032	14.1285
<b>T<sub>d</sub></b>	2.7758	0.0026

**Table 3** Winnings of hour angle controller for two-axis tracker

Source: Own Elaboration

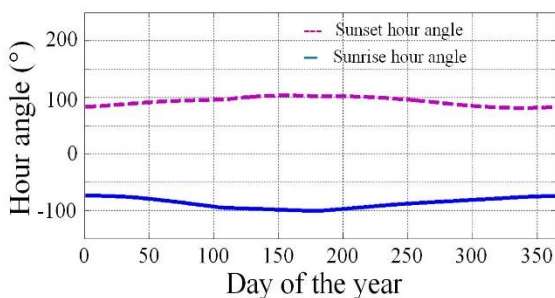
**Simulations**

With equations (1), (2) and (3), the solar height and the hour angle at dawn and sunset are estimated in the MATLAB® programming environment. The results shown in Graph 1 and Graph 2 are obtained.



**Graphic 1** Estimation of solar height

Source: Own Elaboration

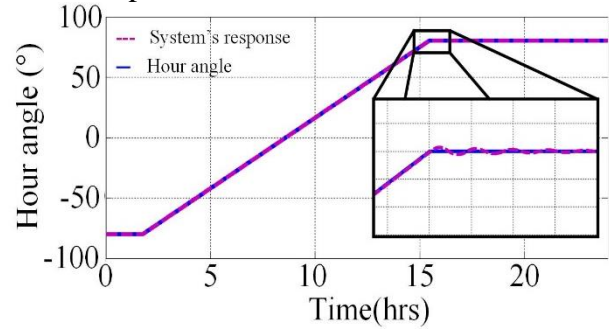


**Graphic 2** Estimation of hour angle at dawn and dusk

Source: Own Elaboration

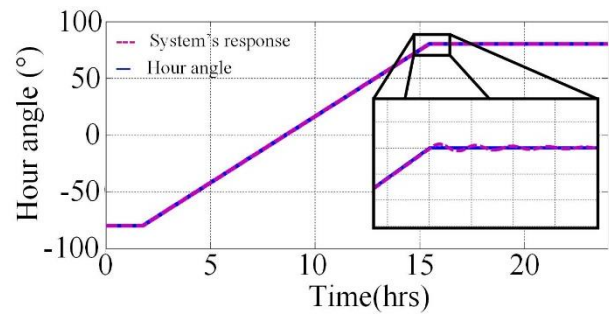
From Graphic 1, it can be seen that one must have a freedom from 0 ° to 90 ° to follow the solar height (90 ° is the horizontal). In Graphic 2, an average angle at sunrise of -87 ° and at nightfall of 92 ° is obtained. It is concluded that it should have an approximate freedom of -90 ° to 90 ° (where 0 ° is the horizontal). Three simulations are carried out in SIMULINK® to know the response of the tracking system according to the diagram shown in Figure 7. Equations (1), (2) and (3) are used to know the solar position, (8) for system dynamics and (10) together with Table 1, Table 2 and Table 3 for the PID controller

The results shown in Graphic 3, Graphic 4 and Graphic 5 are obtained.



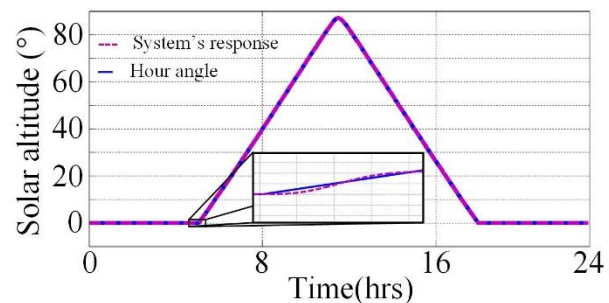
**Graphic 3** Follower controller response to an axis of freedom

Source: Own Elaboration



**Graphic 4** Time angle controller response for two-axis freedom tracker

Source: Own Elaboration



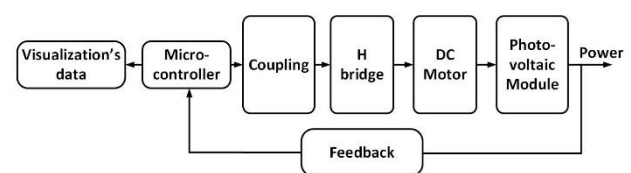
**Graphic 5** Solar height controller response for two axis of freedom tracker

Source: Own Elaboration

Graphic 3, Graphic 4 and Graphic 5 show the tracking systems that are modeled, are able to follow the trajectory of the solar height and the hour angle.

**Implementation**

The implementation of the solar tracking algorithm is based on the block diagram of Figure 8.



**Figure 8** Implementation diagram

Source: Own Elaboration

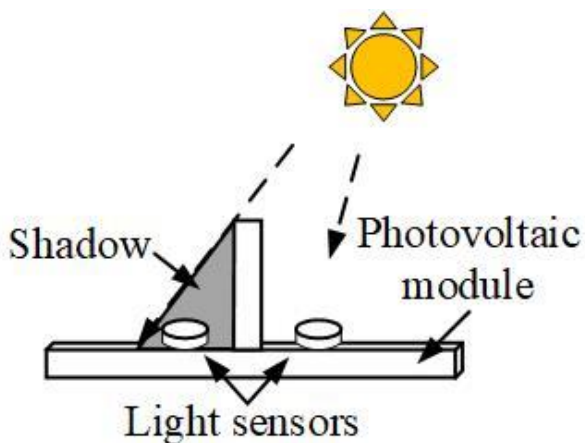
The data display stage uses a 16x2 LCD screen, which shows the feedback variables such as: electric current (Honeywall, 2018), voltage, and radiation. A 16F2550 microcontroller (Microchip, 2004) is used, where the control algorithm (10) is programmed. For the control and power coupling stage, optocouplers 4N25 (TOSHIBA, 1998) and 2N2222A transistors (Semicon, 2013) are used.

A bridge H (Hart, 2011) with TIP31C transistors is designed to control the rotation of the XLA18 engine of the positioning system. In the follower of an axis a polycrystalline module is used and in the one of two axes an amorphous one, its specifications are shown in Table 4.

Parameter	Polycrystalline module	Amorphous module
$P_{mp}$	250W	135W
$V_{mp}$	30.2V	62.3V
$I_{mp}$	8.3A	2.17A
$V_{oc}$	37.8V	78.4V
$I_{sc}$	8.7A	2.52A

**Table 4** Module specifications  
Source: Own Elaboration

To measure the power produced by the photovoltaic module, the CSNE151 current sensor and the LV25P voltage sensor are used. To determine the solar position a light sensing device similar to that presented in (Huynh & Dunnigan, 2016), (Majhija, Khatwani, Khan, Goel & Roja, 2017) and as shown in the sample in Figure 9 is designed.

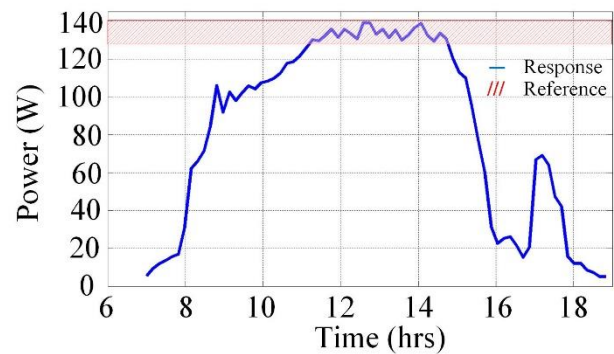


**Figure 9** Solar position sensor  
Source: Own Elaboration

**Results**

**Test 1**

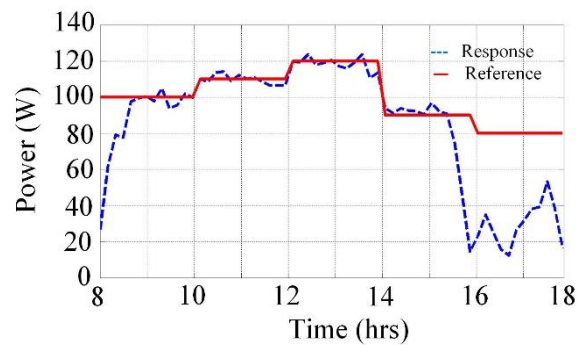
The objective of test 1 is to maintain the power of the amorphous photovoltaic module mounted on the two-axis follower by  $\pm 5\%$  its nominal power. The data sampling process is carried out on June 1 with a duration of 12 hours (7:00 a.m. to 7:00 p.m.), period in which power measurements are taken every 10min. The results are shown in Graphic 6.



**Graphic 6** Test results 1  
Source: Own Elaboration

**Test 2**

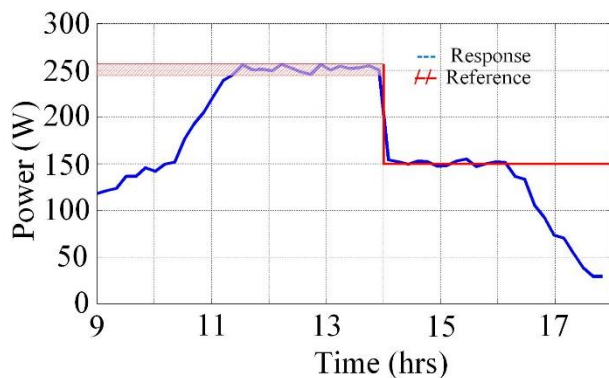
The objective of test 2 is to maintain the power of the amorphous photovoltaic module following a reference power. It is chosen randomly on June 2. The data sampling process lasts 10 hours (8:00 a.m. to 6:00 p.m.), period in which power measurements are made every 10min. The results are shown in Graphic 7.



**Graphic 7** Test results 2  
Source: Own Elaboration

### Test 3

The objective of test 3 is to maintain the power of the polycrystalline photovoltaic module mounted on the follower of an axis in  $\pm 5\%$  of its nominal power from 9:00 am to 2:00 pm, from this time until 6:00 pm change the reference. It is chosen randomly on June 5. The data sampling process is for a period of 10 hours (9:00 a.m. to 6:00 p.m.), in which power measurements are made every 10min. The results shown in Graphic 8 are obtained.



**Graphic 8** Test results 3

Source: Own Elaboration

### Acknowledgement

To the National Technologic of Mexico for the support they provided to the project "Development and characterization of the solar resource for technological applications in renewable energies of the primary sector" with code 6070.17-P.

### Conclusions

In the present work, the structures for one and two axes in the SOLIDWORKS® program were designed. In the development of the prototypes, the electrical signals of sensors and actuators were conditioned in order that the 18F2550 microcontroller interprets the data and controls the actuators in an appropriate way. A control algorithm programmed with CCS Compiler® is designed and implemented to read the signals transmitted by the sensors, interpret them and execute the control algorithm that decides the positioning of the photovoltaic modules based on the position of the sun and the power produced.

When analyzing Graphic 6, it can be seen that the photovoltaic module operates within its nominal range for 4hrs, from 11:00 AM to 3:00 PM. In the period from 15:40 to 17:00 hrs, there is an abrupt drop in production, this is due to shadows caused by the vegetation of the point. It is observed in Graphic 7, that the controller is able to make the power produced by the photovoltaic module follow any programmed reference.

In Graphic 8 it is observed in the period from 11:30 a.m. to 2:00 p.m., that the photovoltaic module operates within its nominal range, and from 2:00 p.m. to 4:00 p.m. follows the 150W reference, validating the correct operation of the controller.

It is possible to design a controller for the structure of one and two axes of freedom, which allows to maintain the production of energy within  $\pm 5\%$  of its nominal parameters in the peak hours of the day. It even manages to maintain a power less than the nominal, which opens the doors to these systems are scalable.

### References

- Astanto, D., Prasetyadi, A., Purwadianta, D., & Sambada, R. (2016). Design of a GPS-Based Solar tracker System for a Vertical Solar Still. ICSGTEIS. Bali.
- Diaz Corcobado, T., & Carmona Rubio, G. (2015). Instalaciones solares fotovoltaicas. Madrid, España: Mc Graw Hill.
- Faria, F., Domingos, J. L., Junior, J. A., Domingues, E. G., Alves, A. J., Calixto, W. P., & Ferreira, G. b. (2017). Energy Efficiency and Renewable Energy: Energy, Economics and Environment Gains. 2017 IEEE URUCON. Montevideo, Uruguay.
- Hart, D. (2011). Power Electronics. Indiana, USA: Mc Graw Hill.
- Honeywall. (12 de 05 de 2018). Obtenido de [www.farnell.com](http://www.farnell.com): <http://www.farnell.com/datasheets/797310.pdf>
- Huynh, D., & Dunnigan, M. (2016). Development and Comparison of an Improved Incremental Conductance Algorithm for Tracking the MPP of a Solar PV Panel. IEEE Transactions on Sustainable Energ, 1421-1429.

Jonhson, B., Mazurek, & Eizanberg. (2010). *Mecánica Vectorial Para Ingenieros: Estática*. Ciudad de México, México: Mc Grew Hill.

Khatib, T., & Elmenraich, W. (2016). *Modellinf of a Photovoltaic System Using Matlab*. Canadá: Woley & Sons, Inc.

Makhija, S., Khatwani, A., Khan, M. F., Goel, V., & Roja, M. (2017). *Design & Implementation of an Automated Dual-Axis Solar Tracker with Data-Logging*. International Conference on Inventive Systems and control. Mumbai.

Microchip. (2004). Microchip Technology Inc. Obtenido de [ww1.microchip.com: http://ww1.microchip.com/downloads/en/DeviceDoc/39632b.pdf](http://ww1.microchip.com/downloads/en/DeviceDoc/39632b.pdf)

Muneer, T., Gueymard, C., & Kambezidis, H. (2004). *Solar Radiation and Daylight Models*. Sheffield, England: Butterworth-Heinemann.

Ogata, K. (2010). *Ingeniería de Control Moderna*. Madrid, España: Pearson Education, Semicon, O. (11 de 2013). [web.mit.edu. Obtenido de http://web.mit.edu/6.101/www/reference/2N2222A.pdf](http://web.mit.edu/6.101/www/reference/2N2222A.pdf)

Sreewirote, B. (2017). *Increasing Efficiency of an Electricity Production System from Solar Energy with a Method of Reducing Solar Panel Temperature*. 2017 IEEE International Conference on Applied System Innovation. Sapporo, Japón.

TOSHIBA. (1998). *TOSHIBA Leading Innovation*. Obtenido de [www.toshiba.com: https://pdf1.alldatasheet.com/datasheet-pdf/view/30830/TOSHIBA/4N25.html](https://pdf1.alldatasheet.com/datasheet-pdf/view/30830/TOSHIBA/4N25.html)

Utkin, V., Guldner, J., & Shi, J. (2009). *Sliding Mode Control in Electro-Mechanical Systems*. Columbus, Ohio, USA: Taylor& Francis Group, LLC.